Lecture 05. First Example: A Real Lidar

- Brief review of lidar basics
- □ K Doppler lidar system architecture
- □ K lidar signal estimate from lidar equation
- Comparison of estimate to reality
- Summary



Review Lidar Architecture

- Basic architecture: three subsystems
 - 1. Lidar Transmitter
 - 2. Lidar Receiver
 - 3. Data Acquisition and Control System
- Basic function of each subsystem
- Major components for each subsystem
- Transmitter: laser(s), collimating and steering mirrors, diagnostic equipment, wavelength control
- Receiver: telescope(s), collimating optics, filters, photo-detectors
- DAQ and Control: discriminator, multichannel scaler, DAQ card and code, computer, electronics for trigger control, timing control, etc.

Review Lidar Equation

□ Keep in mind the big picture of a lidar system –

Radiation source

Radiation propagation in the medium

Interaction with the objects

Signal propagation in the medium

Photons are collected and detected

Can you derive a lidar equation by yourself?

Arecibo K Lidar Architecture



Lidar Transmitter

A pulsed alexandrite ring laser injection seeded by an external cavity diode laser

Seed laser frequency is locked to K D1a Doppler-free feature

Twin dual-pass acousto-optic modulators shift seed laser to two wing frequencies

Diagnostic equipment: CCD beam profiler, fast photo diode, spectrum analyzer, and oscilloscopes,

monitor the spatial, temporal, and spectral features of the lasers to ensure fidelity operation.

Lidar Receiver

A Cassegrain optical telescope 80-cm in diameter

An optical fiber

couples signals to receiver chain

A rotating chopper

blocks lower atmosphere return to avoid saturating photo detector

ling / collimating antics

Coupling/collimating optics

An interference filter and a Faraday filter

compress bkg while transmits signals

A photomultiplier tube (PMT)

detects photons in photon counting mode

DAQ and Control System

Amplifier

to amplify PMT signal

Discriminator

to judge whether it is real photon signal Multichannel scaler

to record data along time bins

Computer with DAQ card and code

to control system and record data

Trigger control

to coordinate the entire system

Pulse build-up time monitor

to preclude signals from bad pulses

Arecibo K Lidar Estimate

We want to use the fundamental lidar equation to estimate the detected photon counts of return K signals using the Arecibo K lidar parameters.

□ This is the first step for lidar simulations to assess a lidar potential and system performance.

Let us start with the general lidar equation

$$N_{S}(\lambda, R) = N_{L}(\lambda_{L}) \cdot \left[\beta(\lambda, \lambda_{L}, \theta, R)\Delta R\right] \cdot \frac{A}{R^{2}} \cdot \left[T(\lambda_{L}, R)T(\lambda, R)\right] \cdot \left[\eta(\lambda, \lambda_{L})G(R)\right] + N_{B}$$

Resonance fluorescence lidar uses the lidar equation

$$N_{S}(\lambda,R) = \left(\frac{P_{L}(\lambda)\Delta t}{hc/\lambda}\right) \left(\sigma_{eff}(\lambda,R)n_{c}(z)R_{B}(\lambda)\Delta R\right) \left(\frac{A}{4\pi R^{2}}\right) \left(T_{a}^{2}(\lambda,R)T_{c}^{2}(\lambda,R)\right) \left(\eta(\lambda)G(R)\right) + N_{B}^{2}(\lambda,R) \left(\frac{A}{4\pi R^{2}}\right) \left(\frac{A}{4\pi R^{2}}\right) \left(T_{a}^{2}(\lambda,R)T_{c}^{2}(\lambda,R)\right) \left(\eta(\lambda)G(R)\right) + N_{B}^{2}(\lambda,R) \left(\frac{A}{4\pi R^{2}}\right) \left$$

Lidar Estimate Procedure (1)

□ First, estimate the transmitted laser photon numbers for single lidar pulse

$$N_L(\lambda_L) = \frac{P_L(\lambda_L)\Delta t}{hc/\lambda_L} = \frac{E_{pulse}}{hc/\lambda_L}$$

 Arecibo K Doppler lidar parameters: Laser pulse energy: E_{pulse} = 100 mJ Laser central wavelength: λ_L = 770.1088 nm
 h is Planck constant and c is light speed

□ Therefore, a single lidar pulse sends out photons of $N_L = 3.88 \times 10^{17}$

Lidar Estimate Procedure (2)

Second, consider the transmitter steering mirror reflectivity and atmosphere transmission, and estimate the number of laser photons that reach K layers

 $N_{Trans} = N_L \cdot R_{Tmirror} \cdot T_{atmos}$

 □ Arecibo K Doppler lidar parameters: Transmitter mirrors: 3 mirrors @ R = 99.8%
 □ R_{tmirror} = (0.998)³ = 0.994
 □ Lower atmosphere transmission at 770 nm: T_{atmos} = 80%

Therefore, the number of photons reaching K layers
N_{Trans} = 3.08 × 10¹⁷

Lidar Estimate Procedure (3)

Third, consider the absorption and spontaneous emission procedure, estimate scattering probability and estimate the number of resonance fluorescence photons produced by entire K layers (ignoring extinction in K)

 $N_{Fluorescence} = N_{Trans} \cdot P_{scattering} = N_{Trans} \cdot \sigma_{eff} \cdot KAbdn$

Lidar Estimate Procedure (4)

Fourth, consider the atmosphere transmission for return signals and estimate the number of fluorescence photons that reach the sphere surface at receiver range

 $N_{Sphere} = N_{Fluorescence} \cdot T_{atmos}$

 Lower atmosphere transmission at 770 nm: T_{atmos} = 80%
 Note: we ignore the extinction caused by K layers

□ Thus, the number of photons reaching the sphere $N_{\text{Sphere}} = 1.48 \times 10^{14}$

Lidar Estimate Procedure (5)

□ Fifth, consider the telescope primary mirror area, estimate the collection probability, and estimate the number of photons reaching the primary mirror

$$N_{\text{Pr}imary} = N_{\text{Sphere}} \cdot P_{\text{collection}} = N_{\text{Sphere}} \cdot \frac{A}{4\pi R^2}$$

 □ Arecibo K lidar telescope: primary mirror diameter D = 80 cm ⇔ A = 0.50 m²
 □ K layer centroid altitude: R = 90 km = 9 x 10⁴ m
 □ The collection probability is given by:

$$P_{collection} = A/(4\pi R^2) = 4.94 \times 10^{-12}$$

Therefore, the number of photons reaching the primary mirror: $N_{sphere} = 730.8$

Lidar Estimate Procedure (6)

Sixth, estimate the receiver efficiency considering primary mirror reflectivity, collimating optics transmission, filter transmission, and PMT QE

$$\eta_{receiver} = R_{primary} \cdot \eta_{fiber} \cdot T_{Rmirror} \cdot T_{IF} \cdot QE$$

 Arecibo K lidar receiver parameters: primary mirror reflectivity R_{primary} = 91% Fiber coupling efficiency η_{fiber} = 75% receiver mirror transmittance T_{Rmirror} = 74% Interference filter peak transmission T_{IF} = 80% PMT quantum efficiency QE = 15%
 Therefore, the receiver efficiency is

 $\eta_{\text{receiver}} = 6.06\%$

Lidar Estimate Procedure (7)

Seventh, consider the receiver efficiency and estimate the number of photons detected by PMT

 $N_{S(K)} = N_{primary} \cdot \eta_{receiver}$

□ Using the results from steps 5th and 6th, $N_{S(K)} = 730.8 \times 6.06\% = 44.3$

Therefore, the number of photons detected by PMT, (i.e., the K lidar return signal counts), for each single lidar pulse from the entire K layers are

$$N_{S(K)} = 44.3$$

■ Note: these photon counts originate from 3.88 x 10¹⁷ laser photons!!!

Comparison to Actual Lidar Return

□ Typical lidar return signals of the Arecibo K Doppler lidar are about 10-50 counts per shot from the entire K layers, depending on seasons and atmosphere conditions.

Our estimate is surprisingly close to the actual situation – K lidar people have tried their best to measure the system efficiencies precisely.

From this estimate, how do you feel about the upper atmosphere lidar: What is the major killer of the signal strength?

Long range - weak signal !

Rawdata Profile of K Lidar



Rawdata Profile: Log Scale



Summary

□ We use a real lidar – the Arecibo K Doppler lidar – as an example to examine the basic concepts of lidar picture, lidar architecture, and lidar equation.

□ High level lidar systems are sophisticated, mainly on the transmitter (laser) aspect. But receiver and DAQ also strongly affect system performance.

□ The major difficulty in upper atmosphere lidar is the tiny collection efficiency (10^{-12}) caused by the long range (A/R²) \Rightarrow weak signals.

Receiver efficiency is another important factor that must be given careful considerations.